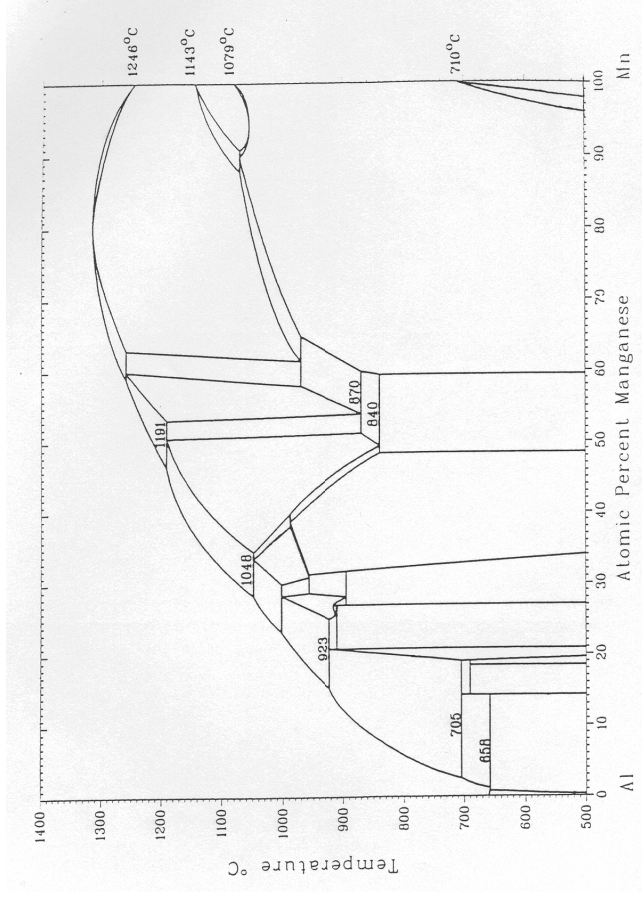


Kap. 4 Phase diagrams

Phasediagrams



Gibbs phase rule

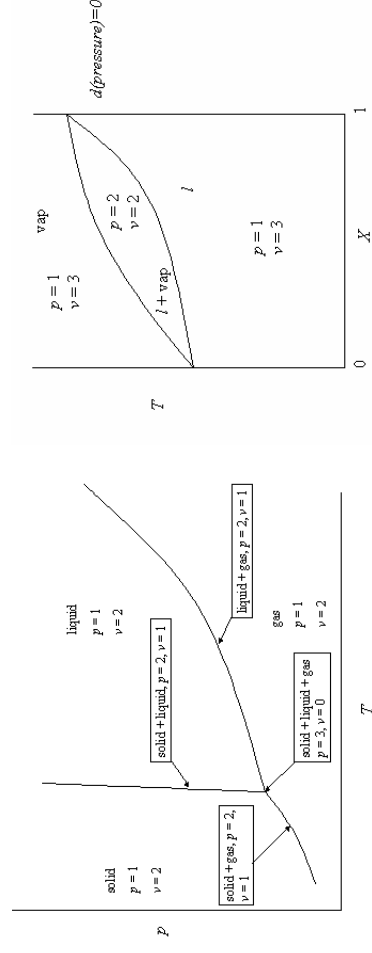
$$P + F = C + 2$$

The **Degrees of Freedom** [F] or **Variance** [V] is the number of independent intensive variables (i.e. those that are independent of the quantity of material present) that need to be specified in value to fully determine the state of the system. Typical such variables might be temperature, pressure, or concentration.

A **Phase** [P] is a component part of the system that is immiscible with the other parts (e.g. solid, liquid, or gas); a phase may of course contain several chemical constituents, which may or may not be shared with other phases. The number of phases is represented in the relation by **P**.

The **Chemical Constituents** [C] are simply the distinct compounds (or elements) involved in the equations of the system. (If some of the system constituents remain in equilibrium with each other whatever the state of the system, they should be counted as a single constituent.) The number of these is represented as **C**.

Gibbs phase rule



Thermodynamic stability

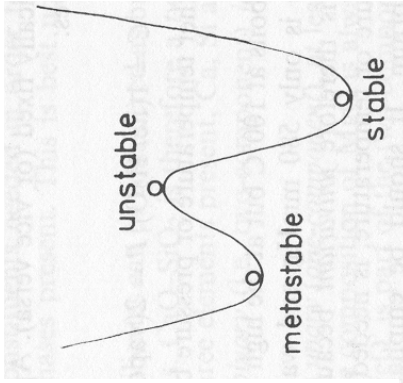


Fig. 6.2 Schematic diagram showing stable, unstable and metastable conditions

Phase diagrams only show the thermodynamically stable phases. If they show metastable compounds they are called existence or dominance diagrams.

One component diagrams

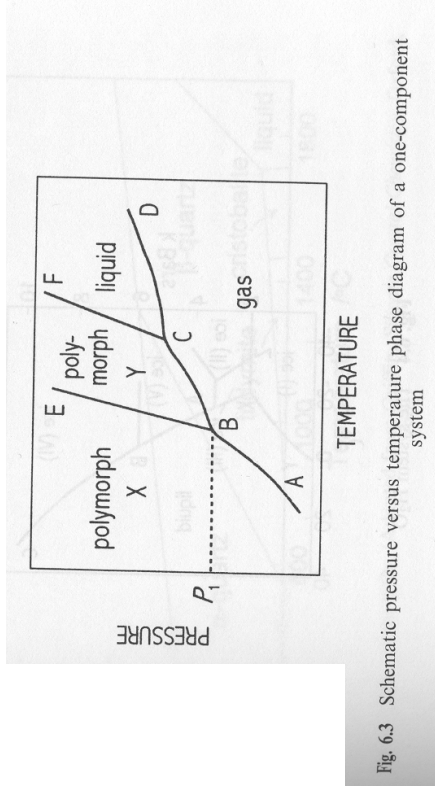


Fig. 6.3 Schematic pressure versus temperature phase diagram of a one-component system

One component diagrams

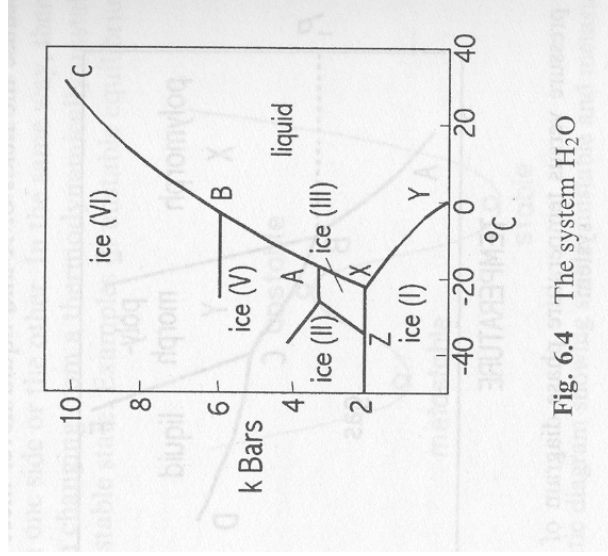


Fig. 6.4 The system H_2O

One component diagrams

$$P + F = 1 + 2$$

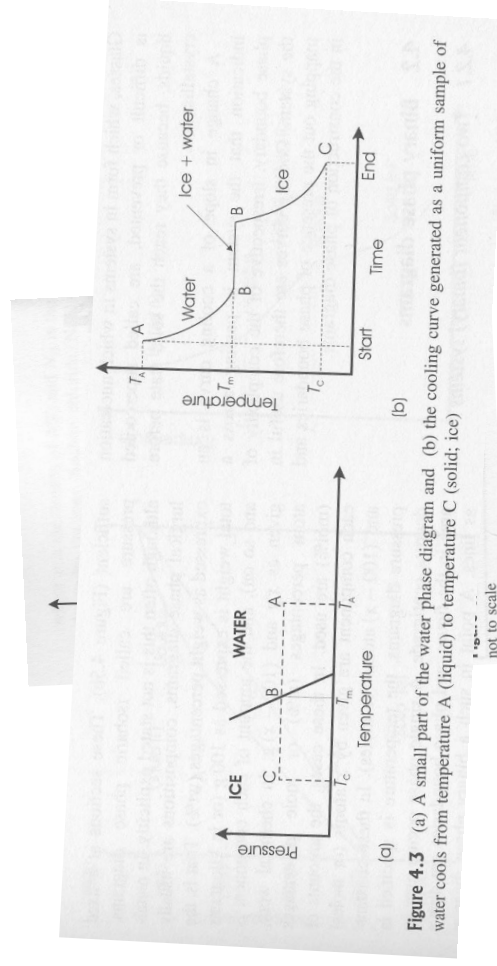


Figure 4.3 (a) A small part of the water phase diagram and (b) the cooling curve generated as a uniform sample of water cools from temperature A (liquid) to temperature C (solid; ice)

One component diagrams

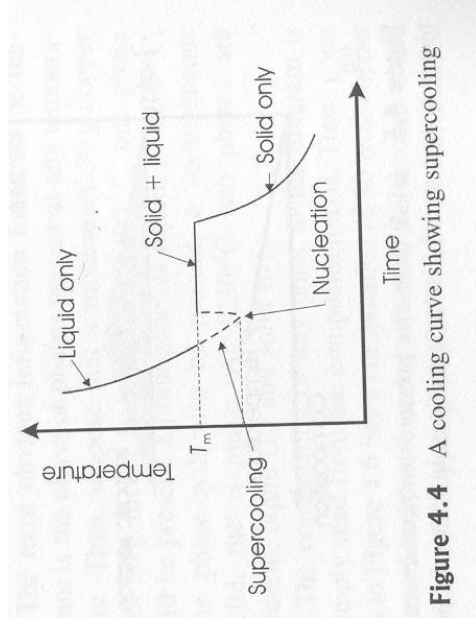


Figure 4.4 A cooling curve showing supercooling

One component diagrams

573 °C 870 °C 1470 °C 1710 °C

α -Quartz \rightarrow β -Quartz \rightarrow β -Tridymite \rightarrow β -Cristobalite \rightarrow liquid

$P + F = 1 + 2$

One component diagrams

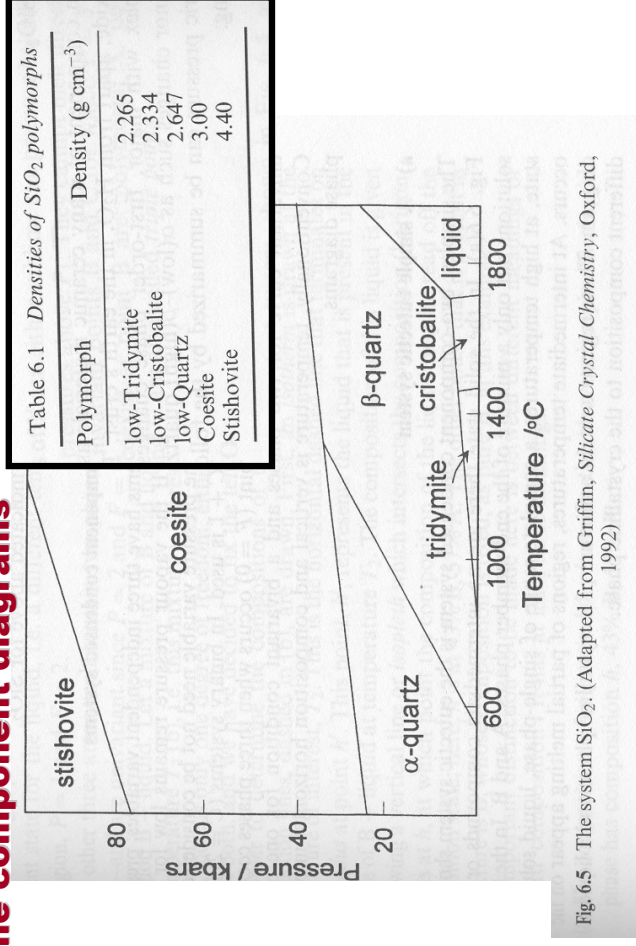


Fig. 6.5 The system SiO₂. (Adapted from Griffin, *Silicate Crystal Chemistry*, Oxford, 1992)

Simple complete solid solution

$P + F = 2 + 2$

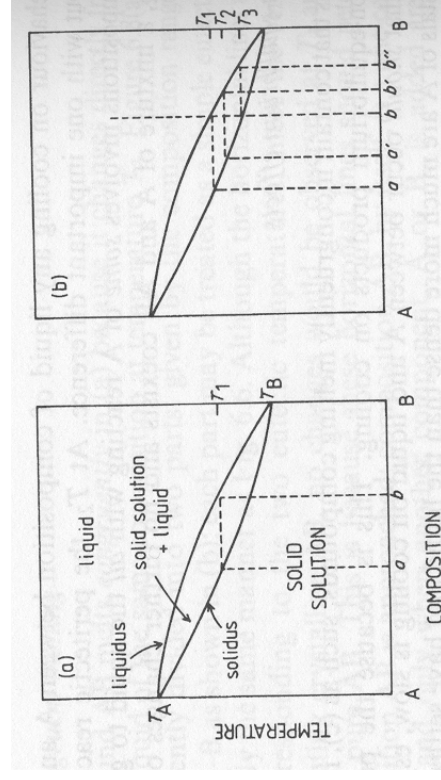


Fig. 6.10 Binary system with a complete range of solid solutions

Simple complete solid solution

$$P + F = 2 + 2$$

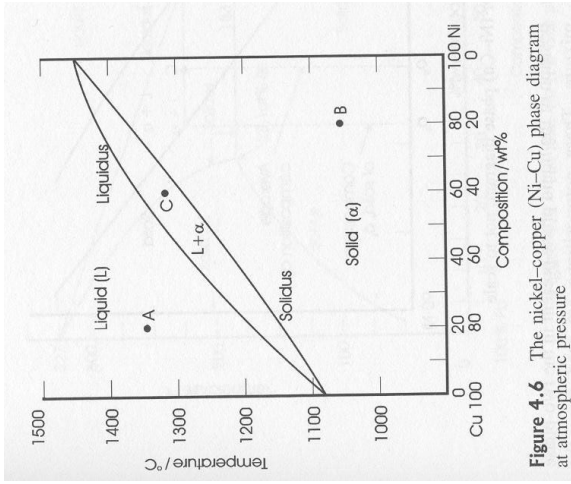


Figure 4.6 The nickel-copper (Ni-Cu) phase diagram at atmospheric pressure

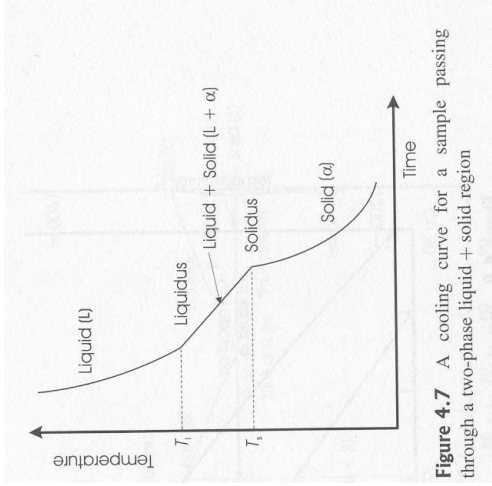


Figure 4.7 A cooling curve for a sample passing through a two-phase liquid + solid region

Simple complete solid solution

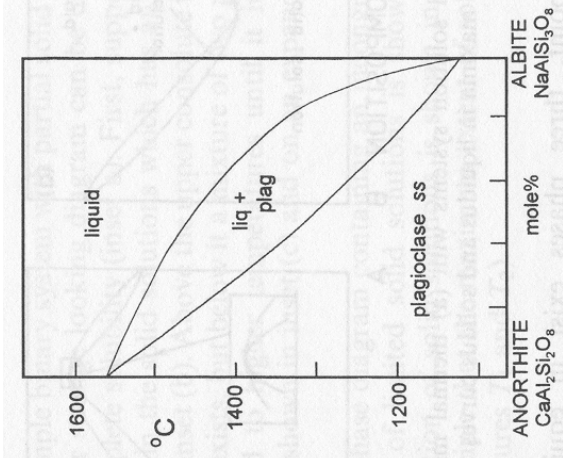


Fig. 6.11 The plagioclase feldspar system, anorthite-albite

Simple complete solid solution

Simple eutectic

$$P + F = 2 + 2$$

Simple eutectic

$$L \rightarrow A + B$$

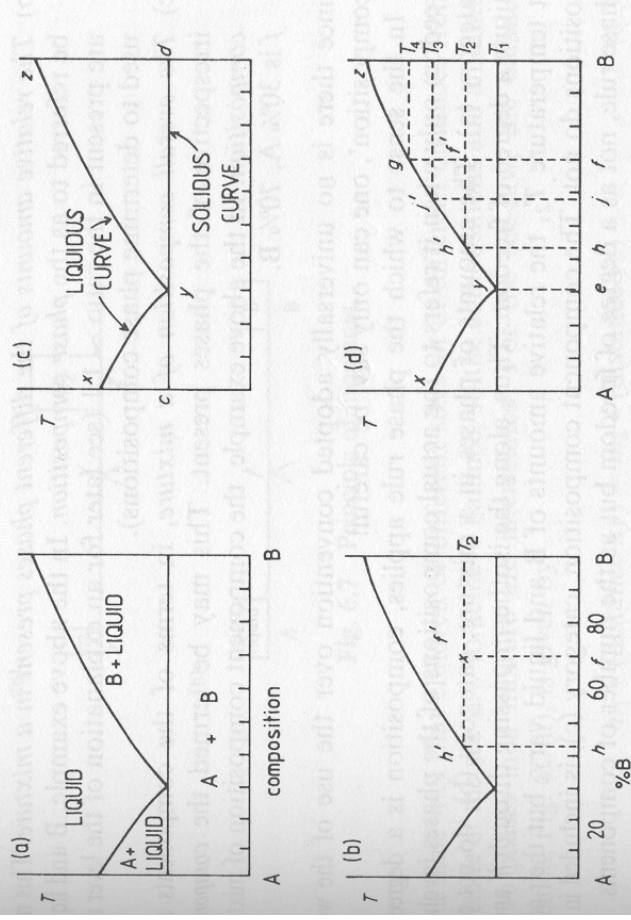


Fig. 6.6 Simple eutectic binary system

Simple complete solid solution

Simple complete solid solution

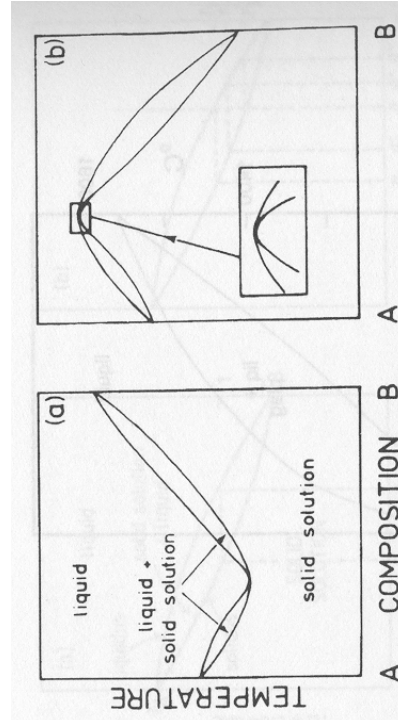


Fig. 6.12 Binary solid solution systems with (a) thermal minima and (b) thermal maxima in liquidus and solidus curves

Simple eutectic

$$P + F = 2 + 2$$

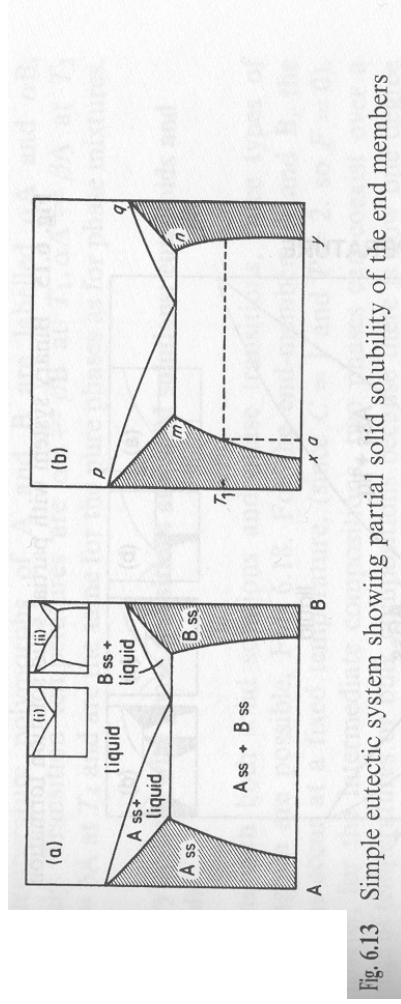


Fig. 6.13 Simple eutectic system showing partial solid solubility of the end members

Simple eutectic

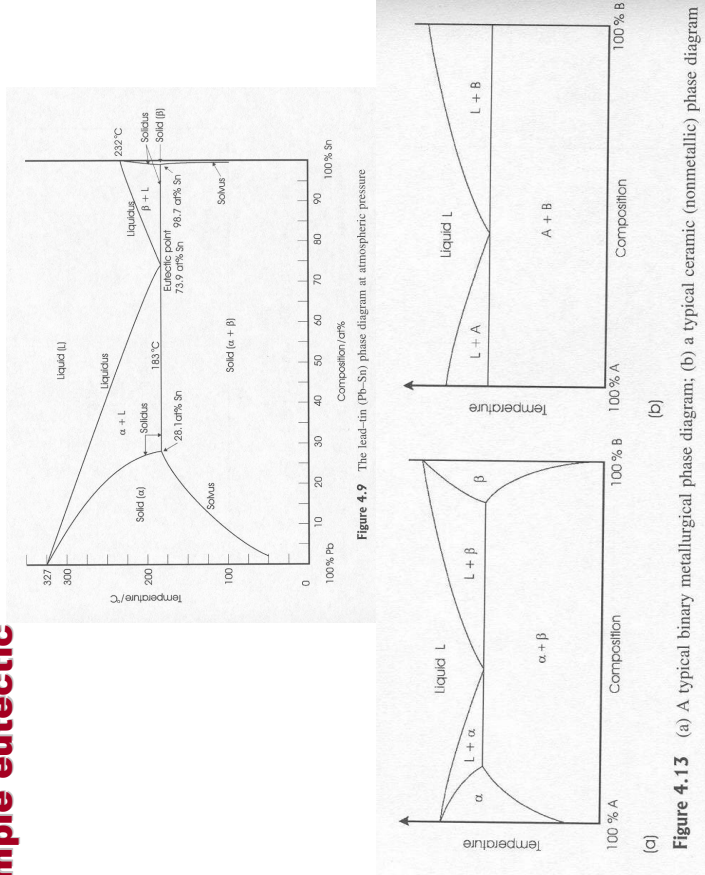


Figure 4.9 (a) A typical binary metallurgical phase diagram; (b) a typical ceramic (nonmetallic) phase diagram

Simple eutectic

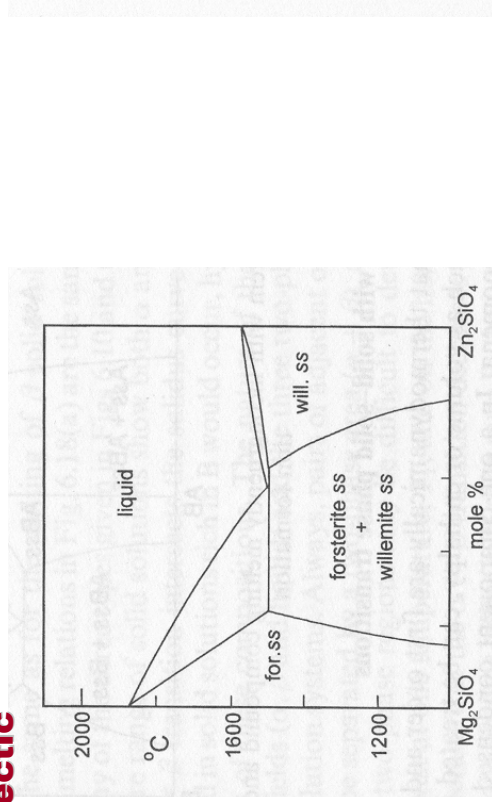
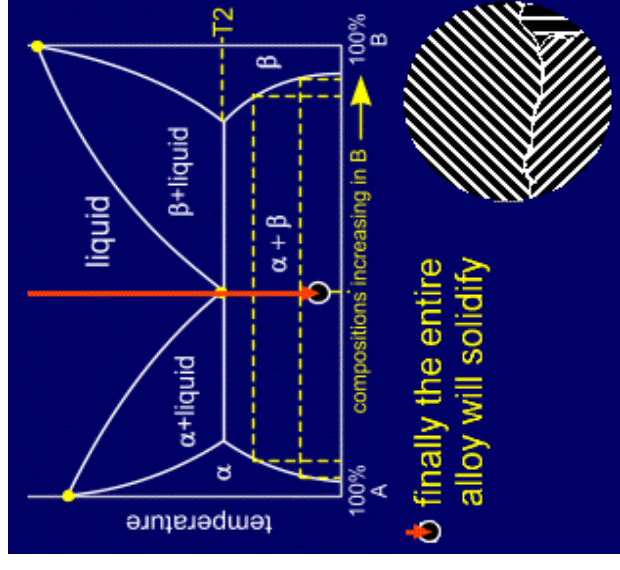
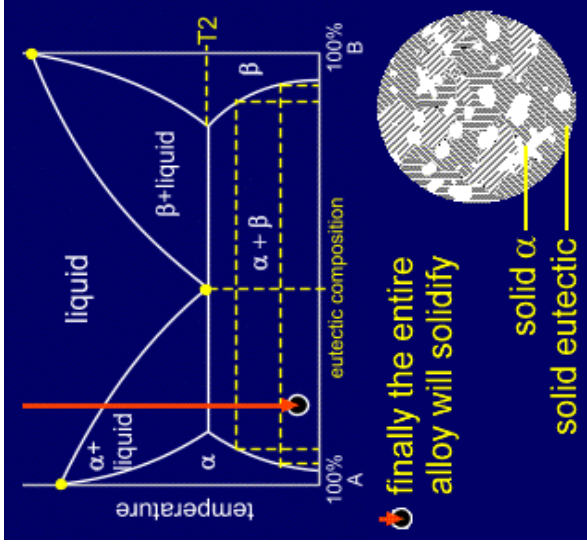


Fig. 6.14 The system $Mg_2SiO_4-Zn_2SiO_4$. (E.R. Segnit and A.E. Holland, *J. Amer. Ceram. Soc.*, **48**, 412, 1965)

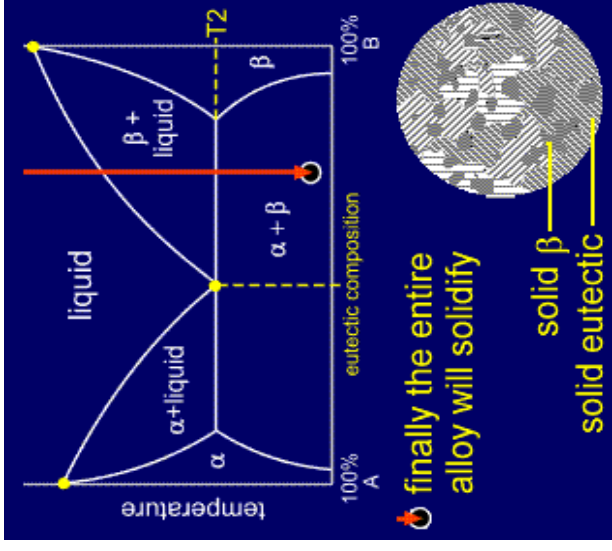
Simple eutectic



Simple eutectic



Simple eutectic



Complex eutectic

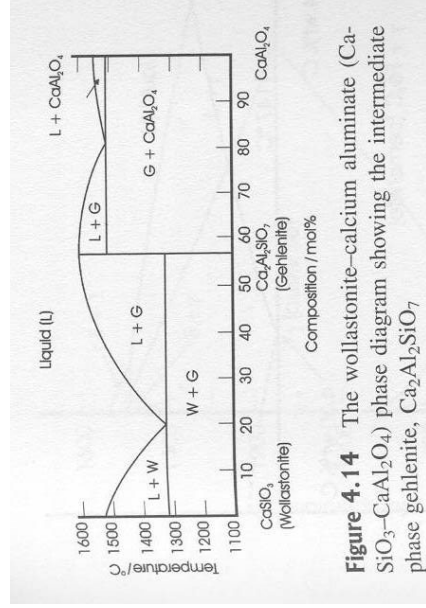


Figure 4.14 The wollastonite–calcium aluminate ($\text{Ca-SiO}_3\text{-CaAl}_2\text{O}_4$) phase diagram showing the intermediate phase gehlenite, $\text{Ca}_2\text{Al}_2\text{SiO}_7$

Complex eutectic

